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Amendments to the Specification:

Please replace the paragraph at page 17, lines 6 to 10 with the following paragraph:

The above four images are referred to as subimages hereinafter. When $\min_{\alpha \in \mathbb{R}^{2} \times \mathbb{R}^{2}}$ and $\max_{\beta \in \mathbb{R}^{2} \times \mathbb{R}^{2}}$ are abbreviated to α and β respectively, the subimages can be expressed as follows:

$$\rho^{(m,0)} = \alpha(x)\alpha(y) \ \rho^{(m+1,0)}$$

$$\rho^{(m,1)} = \alpha(x)\beta(y) \ \rho^{(m+1,1)}$$

$$\rho^{(m,2)} = \beta(x)\alpha(y) \ \rho^{(m+1,2)}$$

 $\rho^{(m,[[2]]3)} = \beta(x)\alpha(y) \rho^{(m+1,3)}$

Please replace the paragraph at page 25, lines 12 to 19 with the following paragraph.

The total energy of the mapping, that is, a combined evaluation equation which relates to the combination of a plurality of evaluations, is defined as $\lambda C_f^{(m,s)} + D_f^{(m,s)}$ where $\lambda[[\bullet]] \ge 0$ is a real number. The goal is to detect a state in which the combined evaluation equation has an extreme value, namely, to find a mapping which gives the minimum energy expressed by the following:

$$\int_{J}^{m_{i,0}} \{ \lambda C_{j}^{(m,s)} + D_{j}^{(m,s)} \} \qquad --- (14)$$